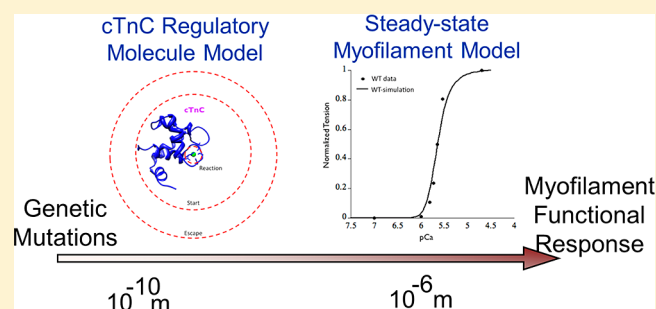


# Molecular Effects of cTnC DCM Mutations on Calcium Sensitivity and Myofilament Activation—An Integrated Multiscale Modeling Study

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## Supporting Information

**ABSTRACT:** Mutations in cardiac troponin C (D75Y, E59D, and G159D), a key regulatory protein of myofilament contraction, have been associated with dilated cardiomyopathy (DCM). Despite reports of altered myofilament function in these mutants, the underlying molecular alterations caused by these mutations remain elusive. Here we investigate *in silico* the intramolecular mechanisms by which these mutations affect myofilament contraction. On the basis of the location of cardiac troponin C (cTnC) mutations, we tested the hypothesis that intramolecular effects can explain the altered myofilament calcium sensitivity of force development for D75Y and E59D cTnC, whereas altered cardiac troponin C–troponin I (cTnC–cTnI) interaction contributes to the reported contractile effects of the G159D mutation. We employed a multiscale approach combining molecular dynamics (MD) and Brownian dynamics (BD) simulations to estimate cTnC calcium association and hydrophobic patch opening. We then integrated these parameters into a Markov model of myofilament activation to compute the steady-state force–pCa relationship. The analysis showed that myofilament calcium sensitivity with D75Y and E59D can be explained by changes in calcium binding affinity of cTnC and the rate of hydrophobic patch opening, if a partial cTnC interhelical opening angle (110°) is sufficient for cTnI switch peptide association to cTnC. In contrast, interactions between cTnC and cTnI within the cardiac troponin complex must also be accounted for to explain contractile alterations due to G159D. In conclusion, this is the first multiscale *in silico* study to elucidate how direct molecular effects of genetic mutations in cTnC translate to altered myofilament contractile function.



## INTRODUCTION

Dilated cardiomyopathy (DCM), a widely prevalent acquired cardiac muscle disease, is characterized by dilatation of the heart and impaired contractile function of the ventricles.<sup>1</sup> DCM is the most common reason for heart transplantation, occurring in approximately 5–8 people per 100,000 and causing approximately 10,000 deaths and 46,000 hospitalizations each year in the United States. It is estimated that 30–35% of DCM cases are linked to mutations in the genes encoding contractile proteins,<sup>2,3</sup> including titin, actin, myosin, tropomyosin, and all three subunits of cardiac troponin (cTn).<sup>4</sup> By altering key myofilament properties such as calcium sensitivity of myofilaments, mutations in cTn may directly contribute to the development of DCM. A key motivation of this study is to understand how the intramolecular dynamics underlying known DCM mutations in the calcium binding domain of cTnC translate to altered myofilament contractile response.

Cardiac troponin (cTn), a macromolecular protein in the thin filament complex of the sarcomere in cardiomyocytes, is a key regulator of contractile mechanics. Structurally, cTn consists of three subunits: troponin C (cTnC), troponin I

(cTnI), and troponin T (cTnT).<sup>5</sup> Binding of the signaling ion Ca<sup>2+</sup> to the N-terminal regulatory domain of cTnC results in structural and dynamic changes that trigger contraction.<sup>6,7</sup> As a consequence of calcium binding to the regulatory domain of cTnC, there is an increased exposure of hydrophobic residues on the surface of cTnC (between helices A and B). This precipitates stronger association with the switch peptide region of cTnI and reduced inhibitory peptide interaction of cTnI with actin, allowing increased tropomyosin mobility that allows strong myosin binding and contraction.<sup>6,8</sup> Structurally, TnC is one of the best studied regulatory proteins in the sarcomere. Numerous structures of the TnC regulatory domain<sup>9–12</sup> as well as the full-length, two-lobed molecule exist.<sup>13,14</sup> The regulatory domain, a highly  $\alpha$ -helical molecule that constitutes the first 89 N-terminal residues of the troponin C protein, consists of five  $\alpha$ -helices (N, A–D). Previous computational studies have

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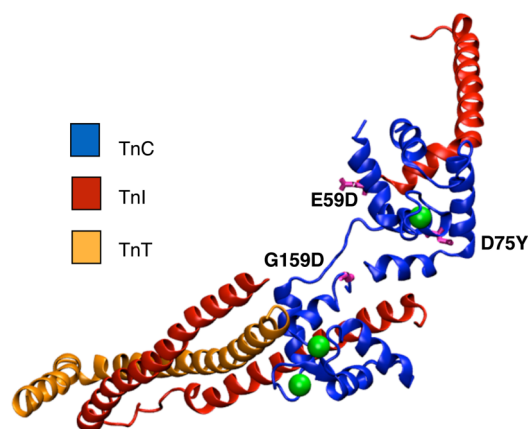
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addressed modeling many cTn-related processes on a molecular scale.<sup>15–23</sup>

At least three clinically observed mutations in cTnC have been proposed to be associated with DCM (Figure 1). Two of



**Figure 1.** Crystal structure of cTn (cTnC in blue, cTnI in red, cTnT in orange, calcium in green) complex showing the location of the DCM mutations D75Y, E59D, and G159D (in pink).

these mutations, D75Y and E59D, are located in or near the  $\text{Ca}^{2+}$ -binding site II in the regulatory domain of cTnC. Studies in skinned cardiomyocytes have reported a marked decrease in calcium sensitivity for the double mutant (D75Y/E59D) and D75Y alone, in spite of the fact that the mutations do not influence the intracellular calcium homeostasis.<sup>18,24</sup> Interestingly, the E59D mutation alone was phenotypically comparable to wild-type cTnC in its effects on myofilament function.<sup>18,24</sup> Another cTnC DCM mutation, G159D, is located in the C-terminus of cTnC, distal to site II, in close proximity to the I–T arm interaction region of cTnI and cTnC. Experimental reports for the G159D mutation have suggested contrasting phenotypes, with increased myofilament  $\text{Ca}^{2+}$  sensitivity in humans<sup>2</sup> and unaltered contractility in rats.<sup>25</sup>

The molecular mechanisms by which these cTnC mutations cause contractile alterations remain unclear. Intramolecular dynamic changes in cTnC can cause alterations in (a) the calcium binding affinity of cTnC; (b) the rate of calcium dissociation from cTnC; (c) the forward rate of cTnC conformation transition; (d) the reverse rate of cTnC conformation transition; and (e) the structure of cTnC such that there are differences in charge within the exposed hydrophobic patch. Additionally, cTnC mutations can affect its interactions with cTnI and downstream contractile proteins. D75Y and E59D are closer to the regulatory calcium binding site of cTnC, while G159D lies distal to site II in the C-terminus of cTnC and is closer to the cTnC–cTnI IT arm binding site. On the basis of the locations of these mutations, we hypothesized that, for the D75Y and E59D mutations, the intramolecular effects within cTnC are sufficient to explain reported contractile defects, whereas altered cTnC–cTnI interaction is required to explain the effects of G159D on contraction.

To understand how molecular level changes precipitated by these mutations manifest at the level of myofilament contraction, we employed multiscale computational models, combining molecular dynamics, Brownian dynamics, and Markov models of myofilament activation. To address our hypotheses, we used a modified, previously described model<sup>26</sup>

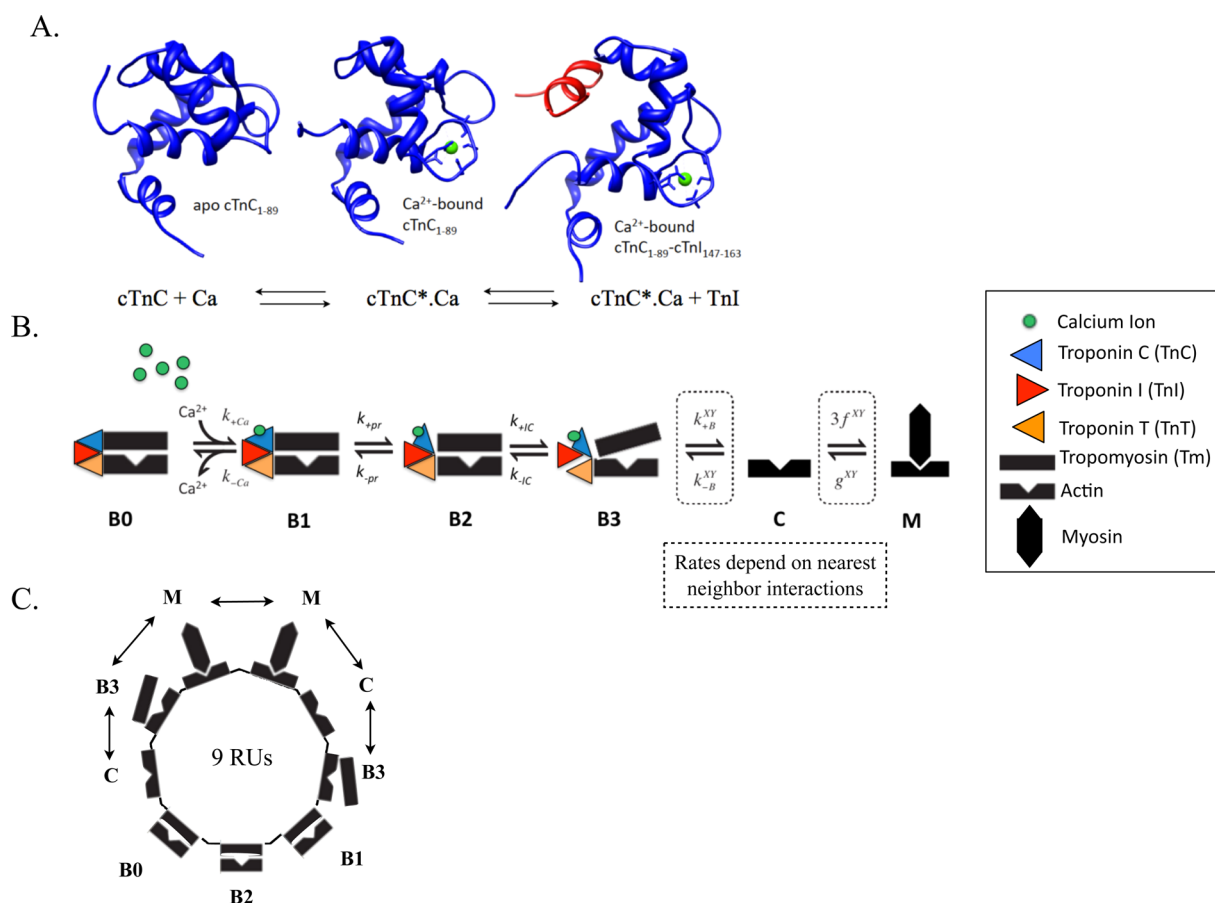
that includes Markov states representing the molecular events of calcium binding to cTnC and conformational changes in cTnC. We derived state transition rates from BD and MD simulations and compared computed steady-state force–pCa curves with experimental measurements from protein exchange experiments in rat cardiac myofilaments. This novel approach of coupling molecular-level effects to models of myofilament contraction can elucidate whether the observed molecular processes are sufficient to explain experimentally measured myofilament properties.

## MATERIALS AND METHODS

**System Preparation.** Four different human N-terminal or full length cardiac troponin C ((N)cTnC)  $\text{Ca}^{2+}$ -bound systems were investigated: wild-type cTnC, G159D cTnC (both based on PDB ID 1J1E), D75Y NcTnC, and E59D NcTnC (both based on PDB ID 1AP4). The initial preparation of the systems, including introduction of mutations, is described in refs 15 and 16. The  $\text{Ca}^{2+}$ -bound cTnC and cTnC–G159D systems contained three bound  $\text{Ca}^{2+}$  ions (one in the N-terminal lobe and two in the C-terminal lobe). The  $\text{Ca}^{2+}$ -bound NcTnC–D75Y and NcTnC–E59D systems contained one bound  $\text{Ca}^{2+}$  ion (in the N-terminal lobe). No free unbound  $\text{Ca}^{2+}$  ions were present. Well-equilibrated structures after 150 ns of NAMD MD were used as input for the Anton system preparation. The scripts `convertNAMDtoMaestro.2.5.py`, `viparr.py`, and `build_constraints.py` were used to generate cms system files. An in-house perl script was used to fix the atomic number of potassium ions to 19 before running viparr. The script `mae2dms` converted the cms files into dms format. Subsequently `guess_chem`, `refinesigma`, and `subboxer` were used to prepare all the input files for the actual simulations.

**Anton MD Simulations.** All Anton simulations were performed under the NPT ensemble at 300 K using a Berendsen thermostat and barostat. Bonds involving hydrogen atoms were constrained using the SHAKE algorithm,<sup>27</sup> allowing for a time step of 2 fs. Structures were saved every 100.002 ps. Production runs were carried out on the 512-node Anton machine, running 75 jobsteps for wild-type  $\text{Ca}^{2+}$ -bound cTnC, 40 jobsteps for  $\text{Ca}^{2+}$ -bound cTnC–G159D, 40 jobsteps for  $\text{Ca}^{2+}$ -bound NcTnC–D75Y, and 40 jobsteps for  $\text{Ca}^{2+}$ -bound NcTnC–E59D. This corresponds to a total simulation time of 8.76  $\mu\text{s}$  for wild-type  $\text{Ca}^{2+}$ -bound cTnC, 4.67  $\mu\text{s}$  for  $\text{Ca}^{2+}$ -bound cTnC–G159D, 7.16  $\mu\text{s}$  for  $\text{Ca}^{2+}$ -bound NcTnC–D75Y, and 7.16  $\mu\text{s}$  for  $\text{Ca}^{2+}$ -bound NcTnC–E59D.

**Interhelical Angle Analysis and Estimation of Free Energy Cost of Opening the Hydrophobic Patch.** The degree of opening of the hydrophobic patch can best be described by the interhelical angle between helices A and B.<sup>28</sup> For the analysis of interhelical angles, angles were calculated using `interhlx` (K. Yap, University of Toronto). Using interhelical angle analysis, the degree of openness for every frame of the trajectory was determined. The analysis was performed equivalent to what was described in ref 17. Defining a cutoff angle below which a state will be characterized as open and above which a state will be characterized as closed, the Boltzmann distribution of states was used to derive the free energy difference  $\Delta G$  from the occupancies of the open and closed states.  $\Delta G = k_{\text{B}}T \ln \frac{N_{\text{closed}}}{N_{\text{open}}}$ , where  $k_{\text{B}}$  is the Boltzmann constant,  $T$  is the temperature of the system, and  $N_{\text{closed}}$  and  $N_{\text{open}}$  are the number of systems found in the closed and open states, respectively, during the simulation. An A/B interhelical



**Figure 2.** (A) Molecular state of cTnC (in blue) in apo state (B0 in the Markov model), calcium (in green) bound state (B1 in the Markov model), and calcium-bound state with exposed hydrophobic patch allowing for cTnI (in red) to bind to cTnC (B2 in the Markov model). (B) Schematic of one regulatory unit (RU) sequence of the six-state (B0, B1, B2, B3, C, M) Markov model of co-operative myofilament activation with nearest neighbor interactions. (C) Schematic of ring structure mathematical formulation used to solve the Markov model that incorporates looping of short segments of RUs to allow elimination of redundant states due to symmetry, resulting from the tight co-operative coupling of nine adjacent RUs, linked by tropomyosins, depicted in one possible configuration of nearest neighbor interactions (the double-headed arrow) (see [Methods](#) and [ref 26](#) for more details). The nearest neighbor interactions of one RU with two adjacent RUs, X and Y, which could be in either Markov state B3, C, or M (as in [ref 26](#)), determine the degree of co-operativity of myofilament activation in the Markov model.

angle of  $90^\circ$  is generally considered the most accurate criterion for defining a structure to be open, since experimentally determined cTnI-bound structures of cTnC exhibit interhelical angles of around  $90^\circ$ . However, in the absence of cTnI, both apo and Ca<sup>2+</sup>-bound cTnC are found in the closed conformation, with an interhelical A–B angle of  $\sim 135^\circ$ . For the analysis, several different cutoff angles were used. Assuming that, for example, structures with interhelical angles below equally spaced values between  $90$  and  $130^\circ$  are considered open, free energy differences for the system transitioning into these “semi-open” conformations can be computed. This allowed extrapolation of the free energy even if the trajectory did not contain any opening event to  $90^\circ$ . We assumed a linear extrapolation to be valid, since previously a linear  $\Delta G$  vs cutoff angle behavior was observed for a NcTnC mutant that opened all the way in the simulations<sup>17</sup> and there was nothing obvious about the systems used in this analysis that should prevent them from opening the entire way.

**Clustering.** For clustering, frames every 8 ps were extracted from the MD trajectories. Alignment was based on all C and D helix C <sub>$\alpha$</sub>  atoms (cTnC residues 54–87) within 7 Å of the site II Ca<sup>2+</sup>. Subsequent clustering was performed by RMSD using GROMOS++ conformational clustering.<sup>29</sup> A RMSD cutoff of

0.4 Å (wild-type cTnC), 0.5 Å (cTnC–G159D), 0.5 Å (NcTnC–D75Y), and 0.4 Å (NcTnC–E59D) was chosen, respectively. These cutoffs resulted in six (wild-type cTnC), six (cTnC–G159D), six (NcTnC–D75Y), and four (NcTnC–E59D) clusters that represented at least 90% of the respective trajectories. The central members of each of these clusters were chosen to represent the calcium binding loop conformations within the cluster and thereby the conformations sampled by the trajectory.

**Brownian Dynamics Simulation.** Similar to studies presented in [ref 16](#), Brownian dynamics simulations were performed with BrownDye<sup>30</sup> to estimate calcium association rates. PQR files for representative protein structures determined by a cluster analysis were generated using PDB 2pqr.<sup>31</sup> There were six (wild-type cTnC), six (cTnC–G159D), six (NcTnC–D75Y), and four (NcTnC–E59D) representative structures which were used in the BrownDye simulations. Since RMSD cutoffs between 0.4 and 0.5 Å have been chosen, these structures are similar. The calcium pqr file was generated using a charge of +2 and an ionic radius of 1.14 Å. APBS<sup>32</sup> was used to generate the electrostatic fields for the protein and the calcium ion in openDX format. Bd\_top was used to generate all necessary input files for the BrownDye runs. A phantom atom



of zero charge and negative radius ( $-1.14 \text{ \AA}$ ) was introduced after the first execution of `bd_top`. The phantom atom was placed at the position of the calcium ion from the trajectory frame. It has no influence on the association rate constant calculation and serves solely to be able to define a reaction criterion that is spherically symmetric around the expected binding position of the calcium. The reaction criterion was chosen to be  $1.2 \text{ \AA}$  within the calcium binding site for all structures in the analysis. 200,000 single trajectory simulations were performed on eight parallel processors using `nam_simulation`. The reaction rate constants were calculated using `compute_rate_constant` from the `BrownDye` package.<sup>30</sup> A weighted average of the rate constants of each of the representative cluster centers yielded an estimate of the overall rate constant for the system. The weight for each representative conformation was determined by the number of structures in the cluster.

### Markov State Model of Myofilament Activation.

Calcium binding to cTnC triggers a conformational change in cTnC (Figure 2A). This structural change exposes a hydrophobic patch within cTnC that facilitates the binding of cTnC to cTnI and triggers downstream intermolecular events leading to contraction.

To test the ability of the BD and MD simulations to predict behavior at larger scales, we modified a Markov model of thin filament regulation.<sup>26</sup> The four defined states in the original computational model are B0, blocked myofilament state where myosin S1 head binding to actin is blocked by Tm with no calcium bound to TnC; B, blocked state with calcium bound to cTnC; C, closed state where conformational changes in Tn are observed and Tm moves allowing weak binding of S1; and M, open state where strongly bound cross-bridges cycle. This model was expanded to a six-state model to accommodate myofilament states corresponding to intramolecular cTnC states probed by BD and MD simulations (Figure 2A). Thus, the current model incorporated the following additional states: B2, blocked calcium-bound state with conformational change of TnC exposing a hydrophobic patch, thereby allowing binding to TnI, and B3, blocked state with TnC bound to TnI (Figure 2B). By adding states B2 and B3 to the model, it was possible to use rates derived from BD/MD simulation in the Markov model.

All simulations were done in terms of relative steady-state force as computed from the fraction of cross-bridges in state M. The model is a system of coupled differential equations guided by the following rate equations:

$$\frac{dP[B0]}{dt} = k_{Ca-}[B1] + k_{pr-}[B2] - k_{Ca+}[Ca^{2+}](t)[B0] \quad (1)$$

$$\frac{dP[B1]}{dt} = k_{Ca+}[B0] + k_{pr-}[B2] - (k_{Ca-} + k_{pr+})[B1] \quad (2)$$

$$\frac{dP[B2]}{dt} = k_{pr+}[B1] + k_{iC-}[B3] - (k_{iC+} + k_{pr-})[B2] \quad (3)$$

$$\frac{dP[B3]}{dt} = k_{iC+}[B2] + k_{off}[C] - (k_{on} + k_{iC-})[B3] \quad (4)$$

As in the earlier model,<sup>26</sup> actin regulatory units (RUs), are comprised of seven actin monomers, TnC, TnI (the inhibitory subunit of Tn), and Tm, together with the S1 region of myosin.

Each regulatory unit can bind to one myosin, and there is cooperativity in activation of RUs based on nearest neighbor interactions in state B3, C, or M (Figure 2C). We solved for nine coupled RUs in the current model. Our model requires an updated calculation of the  $\phi$ , a number reflecting the probability of blocked RUs where cTnI does not inhibit movement into the closed (C) state. The quantity must now reflect the addition of states B1 and B2:

$$\phi = \frac{P(B) - P(B0) - P(B1) - P(B2)}{P(B)}$$

Steady-state simulations were performed to generate force–pCa curves as determined experimentally. Therefore, all rates with respect to time reduced to zero and the system of equations was simplified considerably into a linear problem that is solved using eigen values.

State transitions and model parametrization: For each state transition, we needed to parametrize the forward and reverse rates of transition. For the transition B0 to B1, the calcium binding  $k_{Ca+}$  on-rate and  $k_{Ca-}$  off-rate were obtained from literature values for rat myofilaments at  $27 \text{ }^\circ\text{C}$ .<sup>33,34</sup> For state transition B1 and B2,  $k_{pr+}$  values were plugged in directly from MD simulation results and  $k_{pr-}$  was fitted to a standardized wild-type curve at  $27 \text{ }^\circ\text{C}$  in rat cardiac myofilaments. The forward and reverse rates ( $k_{iC+}$  and  $k_{iC-}$ ;  $k_{B+}$  and  $k_{B-}$ ) for state transitions, B2 to B3 and B3 to M, respectively, were optimized to fit the wild-type steady-state force–pCa relationship in rat myofilaments at  $27 \text{ }^\circ\text{C}$ . The apparent forward ( $f^{xy}$ ) and reverse ( $g^{xy}$ ) rates of cross-bridge cycling for state transition C to M were calculated on the basis of  $K_{tr}$  ( $K_{tr} = f^{xy} + g^{xy}$ ) and ATPase  $Q_{10}$  values from ref 35 with the formula

$$Q_{10} = (R_1/R_2)^{10/(T_2-T_1)}$$

where  $R_1$  and  $R_2$  are reaction rates at temperatures  $T_1$  and  $T_2$ . The wild-type steady-state force–pCa curve was standardized to  $27 \text{ }^\circ\text{C}$  for rat myofilaments by calculating the  $T_{max}$ ,  $Ec_{50}$ , and Hill coefficient  $nH$  to  $27 \text{ }^\circ\text{C}$  based on the  $Q_{10}$  values from the literature<sup>35</sup> and fitted using the Hill equation

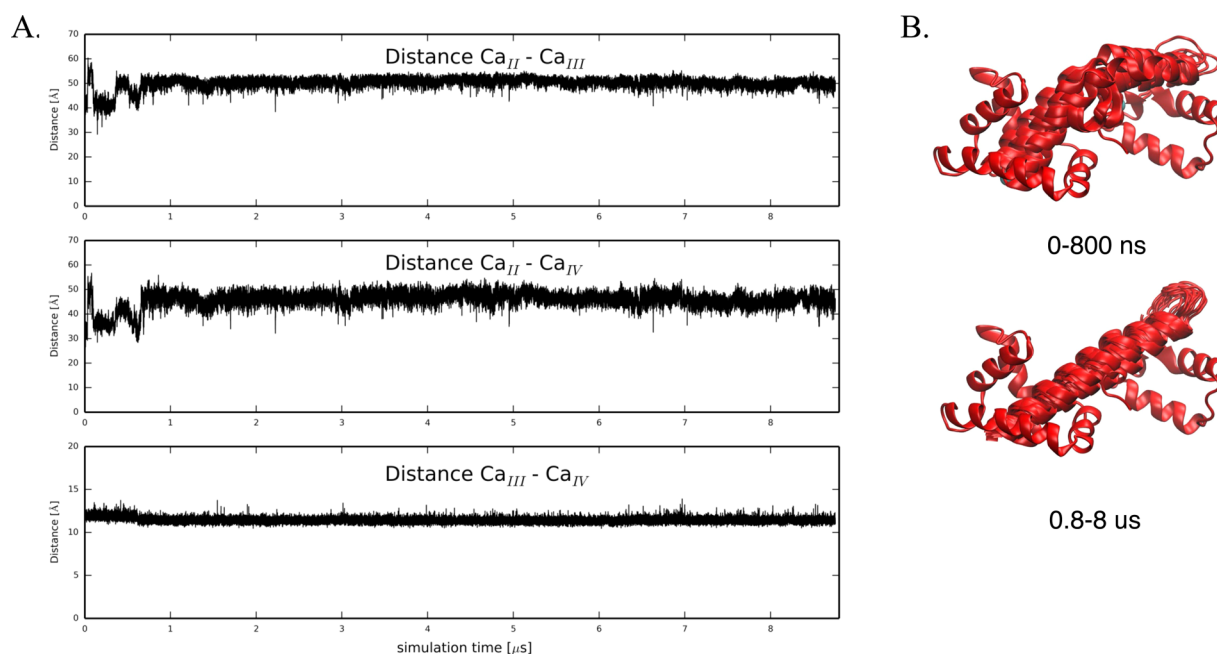
$$P(Ca^{2+}) = P_{max}[Ca^{2+}]^{nH} / ([Ca^{2+}]^{nH} + Ec_{50}^{nH})$$

where  $P(Ca^{2+})$  is the calcium-dependent force,  $P_{max}$  is the maximum myofilament force,  $Ec_{50}$  is the calcium concentration at 50% force, and  $nH$  is the Hill coefficient. In order to optimize the WT steady state force–pCa curve simulation, parameters  $k_{iC+}$ ,  $k_{iC-}$ ,  $\mu_M$ , and  $\mu_B$  were varied in combination to minimize RMSD between simulated and experimental WT data. For all mutations,  $k_{Ca+}$  and  $k_{pr+}$  rates were altered on the basis of MD data but all other rates and co-operativity coefficients in the model were assumed to remain constant in the mutated state. The matlab code for the Markov model has been provided as part of the [Supporting Information](#).

The cTnC alignment – BLAST tool was used to perform protein sequence alignment corresponding to the cTnC FASTA sequence for rat (*Rattus Norvegicus*, gi 66969456) and human (*Homo sapiens*; gi 2460249).

## RESULTS AND DISCUSSION

**Full Atom, Explicit Solvent Simulations of Full Length cTnC Show Straightening of the Linker Region.** First, we investigated the molecular behavior of wild-type  $Ca^{2+}$ -bound cTnC. The N-terminal cTnC EF-hands (helices A–D), which are known to be metal-binding sites, are labeled sites I and II.<sup>36</sup>



**Figure 3.** (A) Pairwise distances between  $\text{Ca}^{2+}$  in binding sites II, III, and IV, respectively. Distance between  $\text{Ca}^{2+}_{\text{II}}-\text{Ca}^{2+}_{\text{III}}$ ,  $\text{Ca}^{2+}_{\text{II}}-\text{Ca}^{2+}_{\text{IV}}$ , and  $\text{Ca}^{2+}_{\text{III}}-\text{Ca}^{2+}_{\text{IV}}$  over the course of an 8.76  $\mu\text{s}$  MD simulation for wild-type  $\text{Ca}^{2+}$ -bound cTnC. (B) The simulation starts with a bent central helix and remains in a kink for about 800 ns. After about 800 ns, the central helix in cTnC straightens and remains straight until the end of the simulation (0.8–8.8  $\mu\text{s}$ ).

The C-terminal domain is linked to the regulatory domain by a short flexible linker (approximately residues 89–93). Four more helices (E–H) comprise two more EF-hands with calcium binding sites III and IV. Site II, the low-affinity,  $\text{Ca}^{2+}$ -specific  $\text{Ca}^{2+}$ -binding site, is generally considered the only site directly involved in calcium regulation of cardiac muscle contraction.<sup>37</sup> Previous simulations focused only on NcTnC and not the relative dynamics of NcTnC and CcTnC. To account for changes in the interdomain arrangement of cTnC, we monitored the pairwise distances between calcium binding sites II, III, and IV as a measure of the relative distances between the domains. Pairwise distances between the three calcium ions in the 1J1E crystal structure are 41 Å ( $\text{Ca}^{2+}_{\text{II}}-\text{Ca}^{2+}_{\text{III}}$ ), 32 Å ( $\text{Ca}^{2+}_{\text{II}}-\text{Ca}^{2+}_{\text{IV}}$ ), and 12 Å ( $\text{Ca}^{2+}_{\text{III}}-\text{Ca}^{2+}_{\text{IV}}$ ), respectively. The distance between site III and IV  $\text{Ca}^{2+}$  remained around its crystallographic value throughout the entire  $\sim 9 \mu\text{s}$  simulation (Figure 3A). This distance confirms structural integrity within CcTnC over the course of the simulation but is not a measure of interdomain arrangement. The distances between site II  $\text{Ca}^{2+}$  and site III/IV  $\text{Ca}^{2+}$ , respectively, were sensitive to the NcTnC–CcTnC interdomain arrangement. Over the first  $\sim 800$  ns, they remained around their crystallographic values (with the exception of a short-lived extension within the first 100 ns). After about 800 ns of simulation, both distances increased by about 10 Å and remained in that state stably for the rest of the simulation, as shown in Figure 3A. This increase in intercalcium distance was caused by a straightening of the central cTnC helix, leading to an increased distance between NcTnC and CcTnC (see Figure 3B). Experimentally, it has been demonstrated that isolated cTnC takes on a more extended form than cTnC anchored in the cTn complex.<sup>38</sup> Similar trends are observed for the homologous calmodulin protein, for which the  $\text{Ca}^{2+}$ -bound state assumes an elongated conformation that maximally separates the N- and C-terminal globular domains in the

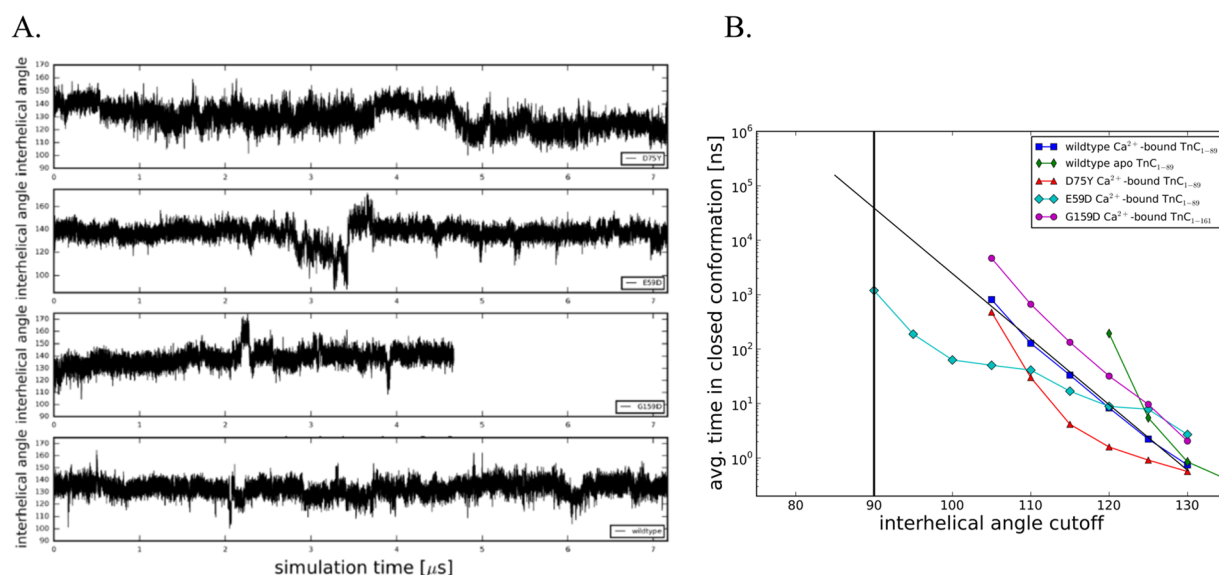
absence of a target protein but subsequently collapses when a target protein is presented.<sup>39</sup> These simulation results are therefore consistent with experimental observations.

**Effects of cTnC DCM Mutations on the Calcium Binding Affinity of cTnC.** Brownian dynamics (BD) simulations of the effects of the mutations on calcium association gave estimated association rate constants for calcium binding to the wild-type cTnC, NcTnC–D75Y, cTnC–E59D, and cTnC–G159D systems (Table 1). The

**Table 1. Summary of Calcium Association Rates (from BD Simulations), Computed Free Energy Differences between Open and Closed States (from MD Simulations), and Average Simulation Time between Opening Events (from MD Simulations) for a Cutoff Angle of  $110^\circ$**

system	$k_{\text{on}}$ [ $1/(\text{M}\cdot\text{s})$ ]	$\Delta G$ (kcal/mol)	$\Delta t$
wild-type $\text{Ca}^{2+}$ -bound NcTnC	$3.1 \times 10^8$	4.0	130 ns
NcTnC–D75Y	$5.0 \times 10^6$	3.3	30 ns
NcTnC–E59D	$1.2 \times 10^7$	2.7	40 ns
cTnC–G159D	$1.0 \times 10^6$	5.2	$\sim 700$ ns

average calcium association rate constant of wild-type cTnC was determined from Brownian dynamics simulations on representative structures from the MD simulations of wild-type  $\text{Ca}^{2+}$ -bound cTnC to be  $1.5 \times 10^8$   $1/(\text{M}\cdot\text{s})$  (Table 1). This is in good agreement with the association rate determined for wild-type NcTnC ( $3.1 \times 10^8$   $1/(\text{M}\cdot\text{s})$ <sup>16</sup>). Additionally, these rates are in excellent agreement with experimentally determined values of  $(2-4) \times 10^8$   $1/(\text{M}\cdot\text{s})$  for wild-type isolated cTnC,<sup>33,40,41</sup> while Ogawa reported a diffusion limited association ( $>4 \times 10^7$   $1/(\text{M}\cdot\text{s})$ ).<sup>42</sup> The idea behind our approach was to adjust the BD parameters so that we can reproduce values for the wild-type systems and then make predictions for mutant systems for which no published data is



**Figure 4.** (A) Interhelical angles over the course of the simulations for Ca<sup>2+</sup>-bound wild-type NcTnC, Ca<sup>2+</sup>-bound NcTnC-D75Y, Ca<sup>2+</sup>-bound NcTnC-E59D, and Ca<sup>2+</sup>-bound cTnC-G159D. Interhelical angles are a measure of the openness of the hydrophobic patch between cTnC helices A and B. An interhelical angle of  $\sim 135^\circ$  corresponds to a closed conformation, while an angle of  $\sim 90^\circ$  corresponds to a fully open conformation. (B) Average simulation time between opening events in dependence on the cutoff angle. Values for the Anton wild-type Ca<sup>2+</sup>-bound TnC simulation, the Anton wild-type apo TnC simulation (both from ref 17), and the three Ca<sup>2+</sup>-bound DMC mutation (NcTnC-D75Y, NcTnC-E59D, cTnC-G159D) simulations are shown. The widely accepted open–close cutoff criterion of  $90^\circ$  is marked by a vertical black line.

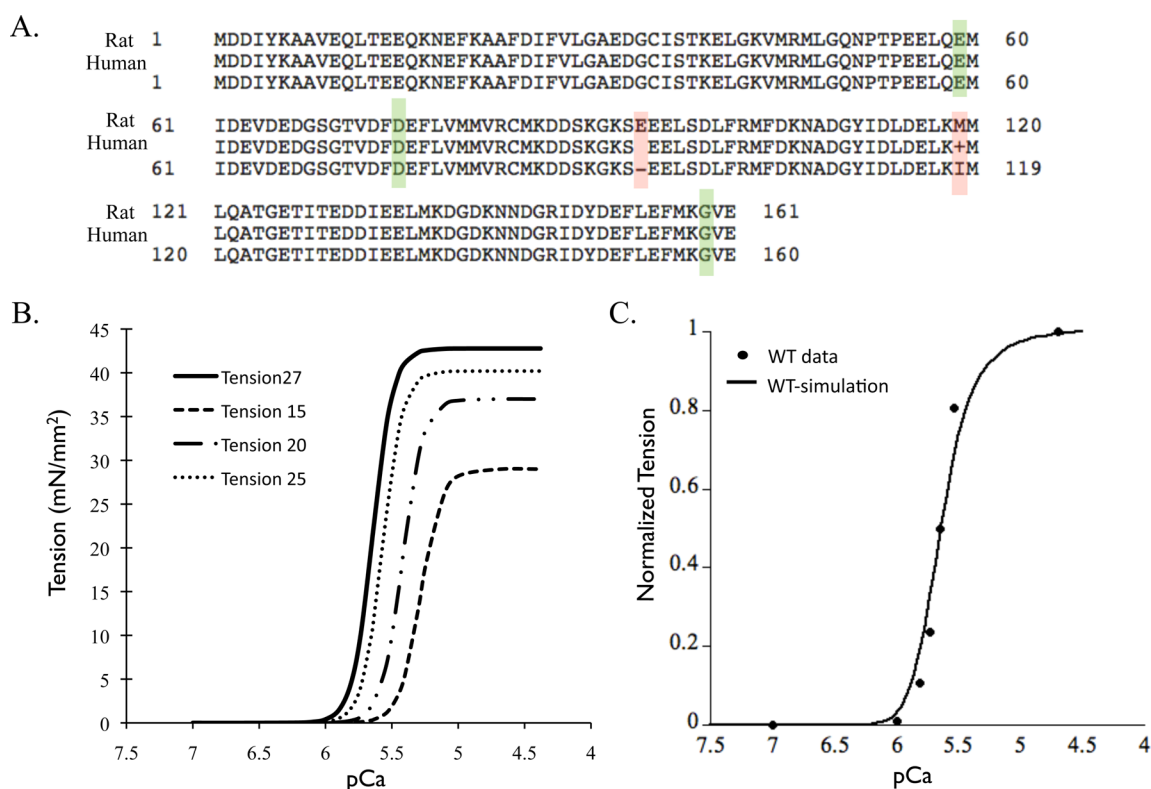
available. The average calcium association rate constant of NcTnC-D75Y was determined to be  $5.0 \times 10^6$  1/(M·s), a 50-fold reduction from its wild-type value. This is in agreement with experimental data suggesting a decrease in calcium affinity in NcTnC-D75Y.<sup>18</sup> The direct effect of D75Y causing decreased Ca<sup>2+</sup> binding affinity is not surprising given the proximity of the mutation to one of the Ca<sup>2+</sup> coordination sites (E76) in the regulatory calcium-binding site. BD simulations for E59D performed on a set of structures representing the conformations of the calcium-binding site most commonly observed during the 7.16  $\mu$ s MD simulation predicted an average calcium association rate constant for NcTnC-E59D of  $1.2 \times 10^7$  1/(M·s), a 10-fold reduction from the wild-type value. Since there is no effect in myofilaments, this suggests that the cTnC-E59D calcium dissociation rate may also differ in counteraction to the reduced association rate.<sup>18,40</sup> The BD simulations for G159D predicted an average calcium association rate constant of cTnC-G159D of  $1.0 \times 10^6$  1/(M·s), about a 100-fold reduction from its wild-type value. Interestingly, these results suggest the mutation G159D may have direct allosteric effects on the N-terminus of cTnC affecting calcium binding to cTnC. The finding of a lower calcium association rate was unexpected, since cTnC-G159D has been associated with an unaltered or increased Ca<sup>2+</sup> sensitivity in skinned myofilaments from rat and human, respectively.<sup>2,25</sup> Thus, we speculated that cTnC-cTnI interaction effects will be required to explain the steady-state contractile effects of G159D.

**Effects of cTnC DCM Mutations on Rates of cTnC Conformational Change on Calcium Binding.** Exposure of a hydrophobic patch between cTnC helices A and B is facilitated by calcium binding at site II and can be significantly modulated by mutations.<sup>17</sup> It is crucial for binding of the cTnI switch peptide in the context of regulating muscle contraction. Since the hydrophobic patch opening frequency is in the high nanosecond to low microsecond regime, long time-scale

simulations have the potential to quantitatively investigate the kinetics of the opening and closing of the cTnC hydrophobic patch. Here we elucidated the hydrophobic patch opening behavior of all three systems under investigation using microsecond Anton<sup>43</sup> simulations. The degree of opening of the hydrophobic patch can best be described by the interhelical angle between helices A and B.<sup>28</sup> Both apo and Ca<sup>2+</sup>-bound cTnC are found in the closed conformation,<sup>9,44</sup> with an interhelical A–B angle of  $\sim 135^\circ$ .<sup>9</sup> The cTnI switch peptide must be present to stabilize the open conformation of the Ca<sup>2+</sup>-bound regulatory domain of cTnC (interhelical A–B angle of  $\sim 90^\circ$ ),<sup>10,45</sup> since the open conformation is only a transient state that is sampled by cTnC after Ca<sup>2+</sup> binding.<sup>17,46</sup> Kinetics and the free energy difference of the opening–closing process were extracted from the simulations, shedding light on the different ways that the mutations affect the process of contraction. The intramolecular conformational changes induced by Ca<sup>2+</sup> binding and the subsequent association of the cTnI switch peptide have been measured experimentally to be significantly slower than the actual Ca<sup>2+</sup> binding.<sup>33,41</sup> Unfortunately there is no direct experimental observable that can confirm the simulations in terms of frequency and degree of hydrophobic patch opening. However, simulated data for gain-of-function and loss-of-function mutations agreed with expected opening behavior.<sup>17</sup> Additionally, by simulating the force–pCa curves from the BD and MD results, we obtain indirect experimental verification.

The A/B interhelical angle as a function of simulation time is a measure of the average degree of openness of cTnC. Qualitatively, NcTnC-D75Y (Figure 4A) had a similar behavior to wild-type NcTnC (see ref 17), in that it remained closed most of the time but occasionally ventured to transiently open conformations ( $\sim 105^\circ$ ). A more quantitative analysis of the opening of the hydrophobic patch in cTnC can be gleaned using a set of incremental cutoff angles dividing structures into respective open and closed conformations, as shown in Figure





**Figure 5.** (A) Sequence alignment of cTnC for protein sequences from rat and human, highlighting the conserved DCM mutations (green box) and two residue difference (red box) in the N-terminus lobe of cTnC. (B) Standardized steady-state force–pCa relationship at 27, 25, 20, and 15 °C (data extracted from ref 35). (C) Steady-state force–pCa curve simulation (solid black trace) fit to the standardized force–pCa relationship (solid black dots) for rat myofilaments at 27 °C (300 K).

4B. While the experimentally determined cTnC-bound structures of cTnC all exhibit A/B interhelical angles of around 90° (which will be considered the most stringent criterion of defining a structure to be open), we chose angles between 135 and 90° as cutoff angles. For each of these cutoff angles, the Boltzmann distribution of states was used to derive the free energy difference  $\Delta G$  based on the occupancies of the open ( $\leq$ cutoff angle) and closed ( $>$ cutoff angle) states,  $\Delta G = k_B T \ln \frac{N_{\text{closed}}}{N_{\text{open}}}$ . In a related analysis, we also evaluated

the average time between open conformations as a function of the same cutoff angles (Figure 4B). Compared with wild-type NcTnC, NcTnC–D75Y had a slightly opened equilibrium A/B interhelical angle of  $\sim 130^\circ$ . This causes opening to A/B interhelical angles between 110 and 130° to be related with a slightly lower free energy cost than the wild-type system. The frequency of the most opened sampled conformations (A/B interhelical angle  $\sim 105^\circ$ ) was identical in NcTnC–D75Y and NcTnC. Sampling of even further opened conformations would require simulations beyond the low microsecond time scale and was not feasible. Nonetheless, we are estimating that the free energy difference between a fully closed and fully open state is slightly larger for NcTnC–D75Y compared to wild-type NcTnC, even though it is hard to make accurate predictions, since the shape of the NcTnC–D75Y  $\Delta G$  curve deviates somewhat from a linear relationship. We also evaluated the average time between open conformations as a function of the same cutoff angles (Figure 4B). The opening frequency of fully opened conformations (A/B interhelical angle of 90°) was extrapolated to be in the 100  $\mu$ s to 1 ms range. This would correspond to a 2–20-fold decrease in the opening frequency

compared to wild-type. We found that a semiopen configuration (A/B interhelical angle of 110°) was sufficient to model changes to myofilament mechanics (see below). Table 1 summarizes those values for a cutoff angle of 110°.

The cTnC–E59D mutation is interesting, since experimentally it has been found to reduce calcium affinity and sensitivity of myofilaments in a cTnC–D75Y/E59D system. cTnC–E59D however was functionally benign and did not impact calcium sensitivity of myofilaments in experiments.<sup>18</sup> Here we investigated the molecular effects of cTnC–E59D on hydrophobic patch opening using microsecond MD simulations, as shown in Figure 4A (A/B interhelical angle as a function of simulation time for NcTnC–E59D). While still being in the closed conformation on average, for about 500 ns, the system was in a semiopen conformation opening up all the way to 87.4°. This is reflected in a free energy difference between the open and closed conformations of 6 kcal/mol compared to  $\sim 8$  kcal/mol for wild-type NcTnC (Figure 4, Table 1). Similarly, the time between full opening events (A/B interhelical angle of 90°) drops to 1  $\mu$ s compared to  $\sim 50$   $\mu$ s for wild-type NcTnC (Figure 4). Again, Table 1 summarizes those values for a cutoff angle of 110°.

For cTnC–G159D, we also computationally determined the molecular effects on hydrophobic patch opening. Experimentally this mutation has been associated with an increased<sup>2</sup> or unchanged<sup>25</sup> Ca<sup>2+</sup> sensitivity. The hydrophobic patch remains closed through all of the 4.67  $\mu$ s of MD simulation and never opens beyond 107.3°. This is reflected in a free energy difference between the open and closed conformations of  $\sim 9.5$  kcal/mol compared to  $\sim 8$  kcal/mol for wild-type NcTnC (Figure 4). Similarly the time between full opening events (A/B

interhelical angle of  $90^\circ$ ) increases to  $800 \mu\text{s}$  compared to  $\sim 50 \mu\text{s}$  for wild-type NcTnC (Figure 4). Table 1 summarizes those values for a cutoff angle of  $110^\circ$ .

**In Silico Translation of Molecular Level Changes to Myofilament Mechanics.** The primary sequence of cTnC is identical between rat and human with the exception of one amino acid in the linker region and one in the C-terminus domain of cTnC (Figure 5A). Also, there are no other known isoforms of TnC in the heart. Thus, the MD and BD simulation results for human cTnC can be applied to a Markov model standardized to rat parameters.

The current six-state Markov model describes cTnC activation by calcium and co-operative myofilament activation (Figure 2B,C). Thin filament regulation is similar to the myofilaments in that the calcium binding to cTnC (Markov state B1) triggers a conformational change in cTnC (Markov state B2) which leads to conformational changes in cTnI and cTnT (lumped Markov state B3) such that Tm moves allowing for weak binding of cross-bridges to bind to actin (Markov state C). The weakly bound cross-bridges then cycle to load-bearing strongly bound cross-bridges that generate force (Markov state M). Thus, the Markov model explicitly defines the physiological states of calcium binding to cTnC and the conformational changes that result in cTnC as a consequence. Also, the downstream conformational changes that occur in myofilament activation are implicitly defined in the lumped Markov states B3 and C. Lastly, in the model only one cross-bridge binds per RU; however, physiologically at least seven cross-bridges can bind per RU. The model computes the co-operative nature of thin filament activation of myofilaments by nearest neighbor interactions. By adding states B2 and B3 to the model, it was possible to use rates derived from BD/MD simulation in the Markov model.

In order to maintain uniformity of parametric conditions (temperature and species) when scaling up longitudinally from molecular state to myofilament state, we computed the wild-type myofilament properties for rat myocardium at 300 K. The resultant steady-state force–pCa relationship at 300 K (Figure 5B) had a pCa value of 5.64, a Hill coefficient of 5.7, and a maximal tension of  $42.78 \text{ mN/mm}^2$ , computed using  $Q_{10}$  values that were experimentally derived for steady-state force–pCa in skinned rat myofilaments.<sup>35</sup> The simulation result from the Markov model fit to the steady-state wild-type force–pCa curve for rat myofilaments at 300 K within less than 5% error range (Figure 5C). It is known that kinetic rates of a given state transition vary in isolated molecular states of cTnC and integrated myofilament states.<sup>34</sup> This was very well elucidated in a previous study<sup>34</sup> where the off-rates of calcium binding were studied in depth from isolated cTnC molecule to a structurally integrated myofilament preparation. Thus, here we describe the choice of transitional kinetic rate parameters for each Markov state transition. The rate of calcium binding to cTnC has been measured experimentally for rat to be  $1.4 \times 10^8 \text{ (M}\cdot\text{s)}^{-1}$ .<sup>33</sup> This rate is not reported to change in isolated cTnC in solution vs in integrated myofilaments. However, the off-rate of calcium binding to cTnC is highly sensitive to its corresponding system state (isolated or integrated). Accordingly, we chose the off-rate of calcium as measured in the rigor state of myofilaments at  $25^\circ\text{C}$ .<sup>34</sup> For the conformational state transition of cTnC in myofilaments, we assumed that these kinetic rates are largely insensitive to system state. Thus, we directly input the values from the MD simulations. Further, the transition Markov states B2 to B3 and B3 to C are lumped

states, as they implicitly integrate intermolecular associations between TnC–TnI–TnT–Tm–actin and thin filament cooperativity. Thus, the parameters for these state transitions were scaled to fit the standardized wild-type steady-state force–pCa relationship. Lastly, for the state transition C to M, the apparent forward ( $f_{\text{app}}$ ) and reverse ( $g_{\text{app}}$ ) rates of cross-bridge cycling were derived from reported  $Q_{10}$  of  $K_{\text{tr}}$  and tension cost.<sup>35</sup> Input parameters for each state transition are summarized in Table 2 (Figure 2).

**Table 2. Best-Fit Parameters in the Six-State Markov Model of Myofilament Activation for WT Rat Cardiac Myofilaments at 300 K Steady-State Force–pCa Relationship**

parameter	WT
$k_{\text{Ca}^+}$ [ $1/(\mu\text{M}\cdot\text{ms})$ ]	0.14
$k_{\text{Ca}^-}$ (1/ms)	0.25
$k_{\text{pr}^+}$ (1/ms)	5699.432425
$k_{\text{pr}^-}$ (1/ms)	19500
$k_{\text{IC}^+}$ [ $1/(\mu\text{M}\cdot\text{ms})$ ]	0.01
$k_{\text{IC}^-}$ (1/ms)	0.08
$k_{\text{B}^+}$ (1/ms)	18
$k_{\text{B}^-}$ (1/ms)	0.04
$f^{\text{xy}}$ (1/ms)	0.041837669
$g^{\text{xy}}$ (1/ms)	0.01891771
$\gamma_{\text{B}}$	80
$\gamma_{\text{M}}$	75
$\mu_{\text{M}}$	46

**Myofilament Effects of DCM cTnC Mutations.** The parameters for the optimized best-fit wild-type steady-state force–pCa curve were determined (Figure 5C, Table 2). For each cTnC mutation, all parameters in the Markov model were kept constant, except for the intramolecular values for calcium binding to cTnC and forward rate of conformational change of cTnC such that the hydrophobic patch is exposed within cTnC (see Table 3). The values of these intramolecular cTnC state transitions were input directly as reported by MD and BD simulations for all three DCM mutations.

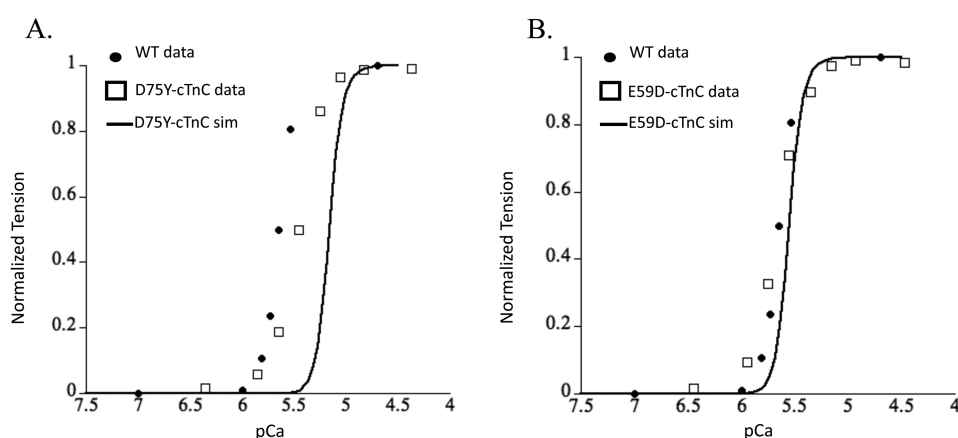
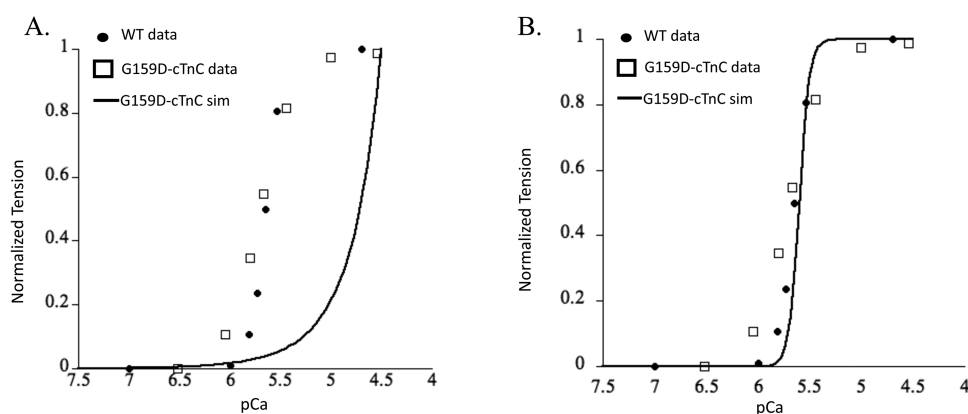
The Markov model simulation for the D75Y–cTnC system resulted in a decrease in calcium sensitivity of myofilaments, as seen by a rightward shifted steady state force–pCa curve (Figure 6A). This decrease in calcium sensitivity is consistent in direction with experimental recordings in skinned cTnC–D75Y mutant myofilaments.<sup>18,24</sup> However, the magnitude of the decrease in calcium sensitivity of myofilaments was significantly exaggerated by the Markov model prediction compared to experimental data. This could be because of either the (a) likely changes in the rate of hydrophobic patch closing which we assume to not change in mutations or (b) rather unlikely allosteric effects of cTnC–D75Y mutation in the CcTnC domain that may change the rate of calcium binding to cTnC and rate of hydrophobic patch exposure. This result suggests that the decrease in calcium binding affinity of cTnC coupled with the decrease in  $\Delta G$  can explain the directional shift in the steady-state force–pCa relationship showing a decrease in calcium sensitivity of tension in skinned myofilaments for cTnC–D75Y.

The Markov model of E59D–cTnC did not shift the force–pCa relationship relative to the wild-type steady state force–pCa curve (Figure 6B), consistent with experimental observations in skinned myofilaments.<sup>18,24</sup> This was interesting, as the calcium binding affinity of E59D–cTnC was decreased



**Table 3.** Parameters in the Six-State Markov Model of Myofilament Activation for WT, D75Y-cTnC, E9D-cTnC, and G159D-cTnC Rat Cardiac Myofilaments at 300 K Steady-State Force-pCa Relationship for a Cutoff Angle of 110°

parameter	WT	D75Y	E59D	G159D	G159D (cTnC-cTnI interaction)
$k_{Ca+}$ [1/( $\mu$ M·ms)]	0.14	0.005	0.012	0.001	0.001
$k_{Ca-}$ (1/ms)	0.25	0.25	0.25	0.25	0.25
$k_{prt+}$ (1/ms)	5699.432425	26435.49272	27055.76642	1337.311851	1337.311851
$k_{prt-}$ (1/ms)	19500	19500	19500	19500	19500
$k_{iC+}$ [1/( $\mu$ M·ms)]	0.01	0.01	0.01	0.01	0.01
$k_{iC-}$ (1/ms)	0.08	0.08	0.08	0.08	$3.87 \times 10^{-4}$
$k_{B+}$ (1/ms)	18	18	18	18	18
$k_{B-}$ (1/ms)	0.04	0.04	0.04	0.04	0.04
$f^{xy}$ (1/ms)	0.041837669	0.041837669	0.041837669	0.041837669	0.041837669
$g^{xy}$ (1/ms)	0.01891771	0.01891771	0.01891771	0.01891771	0.01891771
$\gamma_B$	80	80	80	80	80
$\gamma_M$	75	75	75	75	75
$\mu M$	46	46	46	46	46

**Figure 6.** Steady-state force-pCa simulation (solid black trace) prediction for (A) cTnC-D75Y mutation and (B) cTnC-D75Y mutation fitted with cTnC-cTnI interaction effects plotted with experimental measures of the same for WT (solid black dots) and DCM cTnC mutations (open squares) for (A) cTnC-D75Y and (B) cTnC-D75Y from skinned myofilaments.**Figure 7.** Steady-state force-pCa simulation (solid black trace) prediction for (A) cTnC-G159D mutation and (B) cTnC-G159D mutation fitted with cTnC-cTnI interaction effects plotted with experimental measures of the same for WT (solid black dots) and cTnC-G159D mutant (open squares) from skinned myofilaments.

but the  $\Delta G$  for the E59D-cTnC conformational change was increased. While this did imply that the intramolecular alterations could offset the phenotype such that it may appear benign as observed experimentally, it is remarkable that the effects in and of themselves are sufficient to replicate the experimentally reported results when the cTnI switch peptide can bind to cTnC in the partially open conformation state. The experimentally determined cTnI-bound structures of cTnC

exhibit A/B interhelical angles of around 90° (which will be considered the most stringent criterion of defining a structure to be open). It is probable that cTnI is able to associate with cTnC before this fully open conformation is achieved. We explored this possibility with the Markov model. The simulation results for cTnC-E59D showed that a partially opened conformation state of cTnC at an opening angle of 110° could explain the experimental observations. Interestingly,

simulation results for a  $90^\circ$  opening angle for E59D–cTnC showed a significant leftward shift in force–pCa relationship unlike a modest leftward shift for D75Y–cTnC. This was explained by the smaller change in  $\Delta G$ , with an increase in opening angle, for D75Y than E59D based on MD simulation results. These results would implicate that the switch peptide of cTnI must bind to cTnC in its partial open conformation state. To validate the prediction that cTnI can bind to a partially open conformation of cTnC would require more sophisticated MD simulations with the whole cTn structure and a more explicitly defined Markov model state for cTnC–cTnI interaction with experimentally derived parameters. Although these are beyond the scope of the current study, we can conclude that E59D–cTnC mutation intramolecular interactions could explain experimental observations if a more relaxed opening angle for cTnI binding is sufficient.

The Markov model simulation for the G159D–cTnC system predicted an extremely right shifted steady state force–pCa curve (Figure 7A). This is not meaningful, as the heart will likely fail under such extreme conditions and neither were such values reported from experimental observations. In fact, the tightly controlled experimental results in rats suggest that G159D is a benign mutation and has no apparent effect on myofilament contractile function.<sup>25,47</sup> The calcium affinity values for cTnC from BD simulations and delta G values from MD simulations suggest an offsetting intramolecular interaction, but clearly these effects are not sufficient to capture the experimentally reported benign phenotype. This would suggest that changes in cTnC–cTnI interactions potentially offset the resultant intramolecular effects. Such a scenario would not be surprising given that the G159D residue is in the cTnC–cTnI interaction region. In fact, when we hold all other parameters constant except for lumped state transition B2 to B3, simulation results can predict experimentally observed results (Figure 7B). It is important to note here that this fit was possible only when the  $K_D$  (equilibrium constant) of the state transition between B2 and B3 was significantly lowered. Assuming that the change in this lumped state transition is only because of a change in cTnC–cTnI interaction, then this would suggest that the mutant G159D–cTnC leads to structural change in cTnC that increases its affinity for cTnI. The opening angle change to  $110^\circ$  was not enough to predict experimentally reported myofilament effects. These observations do suggest that cTnC–cTnI interaction is perturbed by G159D but are certainly not conclusive. Clearly, other factors within cTnC (such as calcium dissociation rate) and beyond (such as cTnC–cTnI affinity or PKA phosphorylation of cTnI) also have a profound impact on myofilament  $\text{Ca}^{2+}$  sensitivity. These factors are still beyond the reach of our molecular scale and myofilament scale computational analysis. The current six-state model (Figure 2B) does not explicitly define the cTnC–cTnI interaction as a Markov state in itself but lumps it in the B3 state where cTnC–cTnI–cTnT–Tm–actin interactions take place. This is likely the reason that the Markov simulation results in an extremely right shifted contractile response. Incidentally, the cTnC–G159D mutation has been shown to interfere with the modulation of  $\text{Ca}^{2+}$  sensitivity through cTnI PKA phosphorylation at cTnI sites Ser 23 and Ser 24.<sup>25,48</sup> We speculate that this effect outweighs the reversed effects on hydrophobic patch opening and calcium association. Nonetheless, the multiscale *in silico* modeling approach described here is a robust way to study how molecular effects can longitudinally translate to myofilament contractile response.

## SUMMARY AND CONCLUSIONS

We investigated alterations in calcium association rates to mutant cTnC using Brownian dynamics (BD) simulations and the opening frequency of the hydrophobic patch using  $\mu\text{s}$  time scale MD simulations. All three mutations decreased the cTnC calcium association rate by 10–100-fold, but while D75Y and G159D caused a 10-fold decrease in the hydrophobic patch opening frequency, the E59D mutation increased the opening frequency by 50-fold compared with WT.

Using these findings, we scaled the molecular state results from BD and MD simulations to myofilament state by solving a six-state Markov model of myofilament contraction. This multiscale approach enabled us to test and understand the intramolecular effects of cTnC DCM mutations on contractile function. Results from the myofilament simulations suggest that the intramolecular changes resulting from the cTnC mutation D75Y and E59D can explain experimentally observed directional changes in calcium sensitivity of myofilaments, provided the cTnI switch peptide can associate with the N-terminus of cTnC in a partially open state of cTnC. However, intramolecular changes observed in the G159D genotype of cTnC are not sufficient to explain the experimentally observed contractile effects. Importantly, they shed light on how the interaction of cTnC with cTnI can offset the intramolecular effects of G159D cTnC mutation observed in DCM.

To summarize, we report the intramolecular changes and potential cTnC–cTnI interactions in cTnC DCM mutants that underlie experimentally observed contractile defects. This is important from a drug development standpoint, as it highlights how intramolecular cTnC changes and/or cTnC–cTnI interactions can be interactive and offsetting, to the extent that a known DCM mutation may appear to be benign functionally. To our knowledge, this is the first study to integrate and leverage *in silico* modeling approaches from molecular level (MD simulations) to myofilament level (Markov models of contractility). This is a promising step toward demonstrating the feasibility and applicability of multiscale modeling to gain mechanistic insights into the role of known genetic DCM mutations in contractile proteins.

## ASSOCIATED CONTENT

### Supporting Information

The Supporting Information is available free of charge on the ACS Publications website at DOI: 10.1021/acs.jpcc.6b01950.

The matlab code for the Markov model (ZIP)

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### Notes

The authors declare no competing financial interest.

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